

Numerical Data

- 2 types:

1. exact numbers

- obtained by counting

- no uncertainty

e.g. 24 students in the

classroom

2. approximate numbers

- obtained by measurement

- uncertainty from human error
and the instrument used

e.g. 61.5 ± 0.5 mL of water

61.5 mL

When reporting approximate numerical data,
always

61.2 mL

61.4 mL

61.5 mL

record numbers you can read with certainty plus
one more which is estimated. These numbers are
called **significant digits (figures)**.

uncertain

Significant Digits

The rules:

1. 1...9 are always significant

2. 0's between non-zero digits are always significant

3. 0's to the right of non-zero numbers are significant

4. 0's to the left of non-zero numbers are **not** significant

e.g. 1. 12.7 → 3 sig digs (Rule #1)

2. 209 → 3 sig digs (Rule #1,2)

3. 2500.04 → 6 sig digs (Rule #1,2)

4. 0.00345 → 3 sig digs (Rule #1,4)

5. 0.070 → 2 sig digs (Rule #1,3,4)

Rounding Rules

1. < 5 do not change (round down)
2. > 5 increase by one (round up)
3. $= 5$ nearest even # (odd \rightarrow round up, even \rightarrow round down)

- e.g.
1. 22.23 (3 sig digs) \rightarrow 22.2 (Rule #1)
 2. 22.28 (3 sig digs) \rightarrow 22.3 (Rule #2)
 3. 22.50 (2 sig digs) \rightarrow 22 (Rule #3)
 4. 21.50 (2 sig digs) \rightarrow 22 (Rule #3)
 5. 22.5003 (2 sig digs) \rightarrow 23 (Rule #2)

Calculations Using Significant Digits and Rounding Rules

1. Multiplication and Division

- do operation
- round off the answer so it has the same number of **significant digits** as the number in the question with the fewest significant digits

e.g. $0.004\ 25 \times 15.203 = 0.064\ 012\ 75$

$3 \qquad \qquad 5 \qquad \qquad = \qquad 0.0646$

Answer should have
3 significant digits

2. Multiplication and Division

- do operation

- round off the answer so it has the same number of **decimal places** as the number in the question with the fewest decimal places

$$\text{e.g. } 12.2 + 10.00 + 0.375 = 22.575$$

$$1 \quad 2 \quad 3 = 22.6$$

Round to 1 decimal place